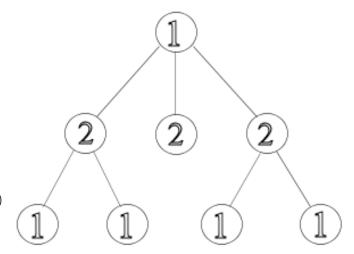
# **11307** Alternative Arborescence

Given a graph, we define "proper coloring" as coloring of the graph nodes in such way that no two adjacent nodes have the same color. If we map each color to a positive integer, we can calculate the sum of all colors assigned to the graph.

In this problem you will be given a tree (connected graph with no simple loops). Can you determine what the minimum color sum can be achieved when the tree is properly colored? (Image to the right shows a proper coloring of the second example tree with sum=11)



## Input

The input file consists of several test cases. Each test case starts with  $n \ (1 \le n \le 10000)$ , the number of nodes in the tree. Next n lines will be of the form "u:  $v1 \ v2 \ \ldots \ vk$ " where u is the root of a subtree and vi's are its children  $(0 \le u, vi \le n-1)$ .

Every test case will be followed by a blank line. Input ends with a case n = 0, which should not be processed.

#### Output

For each test case print the minimum sum of colors that can be achieved by some proper coloring of the tree.

## Sample Input

2 0: 1: 0 8 0: 1 2 3 1: 4 5 2: 3: 6 7 4: 5: 6: 7: 0

# Sample Output

3