## 12444 Bits and Pieces

Let $A$ and $B$ be non-negative integers and let $C=A \& B$ and $D=A \mid B$. Given $C$ and $D$, can you find $A$ and $B$ such that the absolute difference $(|A-B|)$ is minimal? ( $A \& B$ and $A \mid B$ are bitwise $A N D$ and $O R$ respectively).

## Input

The input starts with an integer $T$ - the number of test cases $(T \leq 100)$. $T$ cases follow on each subsequent line, each of them containing integers $C$ and $D\left(0 \leq C, D<2^{31}\right)$.

## BITS \& PIECES

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## Output

For each test case, print integers $A$ and $B$ on a line such that $A \& B=C, A \mid B=D, A \leq B$ and $B-A$ is minimal. If there are no such $A$ and $B$, print ' -1 ' on the line instead.

## Sample Input

3
23
32
315

## Sample Output

23
-1
711

