## 224 Kissin' Cousins

The Oxford English Dictionary defines cousin as follows:
cous'in (kŭzn), n. (Also first cousin) child of one's uncle or aunt; my second (third...) cousin, my parents first (second...) cousins child; my first cousin once (twice...) removed, my first cousin's child (grandchild...), also my parent's (grandparent's...) first cousin.

Put more precisely, any two persons whose closest common ancestor is ( $m+1$ ) generations away from one person and $(m+1)+n$ generations away from the other are $m$ th cousins $n c e$ removed. Normally, $m \geq 1$ and $n \geq 0$, but being used to computers counting from 0 , in this problem we require $m \geq 0$ and $n \geq 0$. This extends the normal definition so that siblings are zeroth cousins. We write such a relationship as cousin-m-n.

If one of the persons is an ancestor of the other, $p$ generations away where $p \geq 1$, they have a relationship descendant- $p$.

A relationship cousin- $m_{1}-n_{1}$ is closer than a relationship cousin- $m_{2}-n_{2}$ if $m_{1}<m_{2}$ or $\left(m_{1}=m_{2}\right.$ and $n_{1}<n_{2}$ ). A relationship descendant- $p_{1}$ is closer than a relationship descendant- $p_{2}$ if $p_{1}<p_{2}$. A descendant-p relationship is always closer than a cousin-m-n relationship.

Write a program that accepts definitions of simple relationships between individuals and displays the closest cousin or descendant relationship, if any, which exists between arbitrary pairs of individuals.

## Input

Each line in the input begins with one of the characters \#, R, F or E.
'\#' lines are comments. Ignore them.
' $R$ ' lines direct your program to record a relationship between two different individuals. The first 5 characters following the ' $R$ ' constitute the name of the first person; the next 5 characters constitute the name of the second. Case is significant. Following the names, possibly separated from them by blanks, is a non-negative integer, $k$, defining the relationship. If $k$ is 0 , then the named individuals are siblings. If $k$ is 1 , then the first named person is a child of the second. If $k$ is 2 , then the first named person is a grandchild of the second, and so forth. Ignore anything on the line following the integer.
' $F$ ' lines are queries; your program is to find the closest relationship, if any, which exists between the two different persons whose 5 character names follow the F. Ignore anything on the line following the second name. A query should be answered only with regard to ' $R$ ' lines which precede the query in the input.
There will be one ' $E$ ' line to mark the end of the input data. Ignore anything on or after the ' $E$ ' line.

## Output

For each ' $F$ ' line, your program is to report the closest relationship that exists between the two persons named aaaaa and $b b b b b$ in one of the following formats:
$a a a a a$ and $b b b b b$ are descendant- $p$.
$a a a a a$ and $b b b b b$ are are cousin-m-n.
with $m, n$ and $p$ replaced by integers calculated as defined above. If no relationship exists between the pair, your program is to output the following:
$a a a a a$ and $b b b b b$ are not related.
Assumption: A person is not an ancestor of himself/herself.
Note: See on the right the diagram of the Sample Input

## Sample Input

\# A Comment!
RFred Joe 1 Fred is Joe's son
RFran Fred 2
RJake Fred 1
RBill Joe 1
RBill Sue 1
RJean Sue 1
RJean Don 1
RPhil Jean 3
RStan Jean 1
RJohn Jean 1
RMary Don 1
RSusanMary 4
RPeg Mary 2
FFred Joe


FJean Jake
FPhil Bill
FPhil Susan
FJake Bill
FDon Sue
FStan John
FPeg John
FJean Susan
FFran Peg
FJohn Avram
RAvramStan 99
FJohn Avram
FAvramPhil
E

## Sample Output

Fred and Joe are descendant-1.
Jean and Jake are not related.
Phil and Bill are cousin-0-3.
Phil and Susan are cousin-3-1.
Jake and Bill are cousin-0-1.
Don and Sue are not related.
Stan and John are cousin-0-0.
Peg and John are cousin-1-1.
Jean and Susan are cousin-0-4.
Fran and Peg are not related.
John and Avram are not related.
John and Avram are cousin-0-99.

